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LATERAL CRITICAL SPEED ANALYSIS OF MULTI-STAGE CENTRIFUGAL PUMP ROTOR USING FEA

Naveena M¹, Dr. Suresh P M²

PG student, Department of Mechanical Engineering, KSIT, Bangalore, Karnataka, India¹

Professor, Department of Mechanical Engineering, KSIT, Bangalore, Karnataka, India²

Abstract: Modal analysis is the study of the dynamic properties of structures under vibrational excitation. Modal analysis is the field of measuring and analysing the dynamic response of structures, when excited by an input. The modal analysis of the centrifugal pump is performed using FEM technology to find the centrifugal rotor natural frequencies. To meet the higher target of power, machines have to run at higher speeds. The pump shaft will be subjected to higher lateral and torsional vibrations because of gyroscopic effect and centrifugal force of the rotating elements mounted on the shaft. The resonance is produced when the rotor natural frequency coincides with operating frequency, the deflection of the rotor will be maximum. To avoid resonance condition, it is necessary to evaluate all stiffness and damping coefficients of wear rings, mechanical seals, throttle seals and bearings. In this work an attempt is made to evaluate the Lateral critical speeds using ANSYS® software by plotting Campbell diagrams and is compared with theoretical calculations and RBTS (Rotor Bearing Testing Software). It is very difficult to eliminate all interference points in the system since there are so many external excitations. Forced response analysis was conducted to know the peak amplitudes at the resonance points. The rotor has been designed and analyzed by using the guidelines as per API 610 standards.

Keywords: Resonance, Centrifugal pump, FEM, Modal analysis, Vibration, Rotor dynamics, API.

I. INTRODUCTION

Centrifugal pump consist of a stationary pump casing and a rotor with impellers consists of a rotating disc with several vanes attached. The main function of pump is to accelerate the fluid by pulse transmission while following the curvature of the impeller vanes from the impeller centre (eye) outwards. The pressure and kinetic energy increase at the impeller's outer diameter and leaves the impeller into a diffuser or volute chamber.

To ensure the safety of the pump and associated plant components, the vibration and noise must be kept within certain limits. Typical reasons for pump failures can be diagnosed well in advance by applying the right kind of vibration testing, analysis, and evaluation criteria during pump monitoring or troubleshooting.

II. MODEL FORMULATION

The lateral analysis is only concerned with the rotor part of the pump. The coupling between pump gear and motor is flexible so the gear and motor are not considered in the calculation and modeling. The details about rotor geometry, impellers mass, bearing properties and material properties are extracted from an existing model and the model is developed in ANSYS.

a. Rotor Modeling

In ANSYS, elements for rotor dynamic model should be chosen based upon the criteria, i.e., it should support gyroscopic effects. BEAM188 is a two-node beam element in 3-D with tension, compression, torsion and bending capabilities is used to formulate the rotor. The entire rotor of centrifugal ANSYS model has the same level of discretization.

b. Modeling of Impellers

MASS21 is used to formulate the impellers mass and inertia effects in the rotor. MASS21 is a point element and it is defined by a single node. The degrees of freedom of the element can be extended up to six directions: translations in the nodal x, y, and z directions and rotations about the nodal x, y, and z axes, the rotary inertia effects to the element is

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included in the element. The mass element adds only mass without any change in stiffness, contribute kinetic energy only.

c. Modeling of Bearings And Supports

There are two bearings in the centrifugal pump that supports the rotor system in its lateral direction. The rotor is supported by mechanical structures like Hub wear rings, eye wear rings, central sleeve and throttle sleeve which acts as bearings. All bearings are modeled as linear isotropic bearings using COMBIN14 element.

d. Loads

An unbalance distribution is assigned to the various parts of the rotor to study the unbalance response. These unbalances are represented as forces which are acting mutually perpendicular to the spinning axis.

e. Constraints

All nodes at axial position are constrained axially and torsionally to avoid axial and twisting of the rotor respectively. The nodes at supports have displacement only in its represented plane (YZ plane). Therefore these nodes are also constrained in axial and torsional direction. The base nodes are fixed in all direction to represent that the model is connected to the rigid base. The FE model of the centrifugal rotor is shown in figure 1.1.



Figure 1.1 FE Model of Centrifugal Rotor

III. FINITE ELEMENT ANALYSIS

Modal analysis of the rotor was carried out to extract the natural frequencies of the pump. a. Undamped Analysis

Natural frequencies of rotor are extracted, when rotor is supported only at the bearings by considering the masses & inertias of all the mountings on rotor. Table 1.1 shows the natural frequencies of the undamped analysis of the rotor. Table 1.1 Natural Frequencies of Undamped Rotor

Modes	Natural Frequency (Hz)	Natural frequency (CPM)	
I Mode (Reverse Mode)	20.388	1223.28	
I Mode (Front Mode)	20.401	1224.06	
II Mode(Reverse)	79.96	4797.6	
II Mode (Front)	80.289	4817.34	



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b. Analytical Approach

Analytical solution for the undamped analysis was done using the Rayleigh's method. Rayleigh's method was applied to single-degree-of-freedom system, which is also applicable to discrete systems. The method assumes that, the system is conservative and at a principal mode the maximum potential energy of the system is equal to its maximum kinetic energy.

$$f_{n} = \frac{\omega_{n}}{2\pi} = \frac{1}{2\pi} \sqrt{\frac{g \sum m_{i} y_{i}}{\sum m_{i} y_{i}^{2}}} \text{ Hz } f_{n} = -\frac{\omega_{n}}{2\pi} = \frac{149.6953}{2\pi} = 23.823 \text{ Hz}$$

The fundamental natural frequency of the rotor evaluated by Rayleigh's method and ANSYS agree with each other. **c. Damped Analysis**

The model was redefined with stiffness coefficients and damping coefficients for wear rings, central and throttle sleeve. The analysis has done for operating speeds 3600, 4100, 4320, 4500, 4800 and 5130rpm, the natural frequencies are tabulated in table 1.2 and 1.3 for the two conditions 1xAPI and 2xAPI.

Natural Modes Frequenc		ural uency	Operating Speed	Margin	Modes	Natural Frequency		Operating	Margin
	(Hz)	(CPM)	Speed	(70)		(Hz)	(CPM)	Speeu	(70)
I Mode (Reverse)	92.23	5533.8		53.72	I Mode (Reverse)	96.12	5767.2		40.66
I Mode (Front)	106.04	6362.4	3600	76.73	I Mode (Front)	112.19	6731.4	4100	64.18
II Mode (Reverse)	106.57	6394.2		77.62	II Mode (Reverse)	120.06	7203.6		75.7
I Mode (Reverse)	97.197	5831.82		35	I Mode (Reverse)	98.835	5930.1		31.78
I Mode (Front)	113.81	6828.6	4320	58.07	I Mode (Front)	116.38	6982.8	4500	55.17
II Mode (Reverse)	124.75	7485		73.26	II Mode (Reverse)	132.43	7945.8		76.57
I Mode (Reverse)	100.52	6031.2		25.65	I Mode (Reverse)	103.2	6192		20.7
I Mode (Front)	118.83	7129.8	4800	48.54	I Mode (Front)	122.7	7362	5130	43.51
II Mode (Reverse)	159.04	9542.4		98.8	II Mode (Reverse)	159.99	9599.4		87.12

Table 1.2 Natural Frequencies of Centrifugal Rotor for 1xAPI

Table	1.3 1	Natural	Frequencies	of Co	entrifugal	Rotor	for 2xAPI
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	NaturalModesFrequency		Operating	Margin	Modes	Natural Frequency		Operating	Margin
Modes								Speed	(%)
	(Hz)	(CPM)	Speed	(%)		(Hz)	(CPM)		
I Mode	71 00	4212.9		10.9	I Mode	82.007	4025.82		20.14
(Reverse)	/1.00	4312.8	2600	19.8	(Reverse)	82.097	4923.82	4100	20.14
I Mode	95 275	5116 5	3000	42.12	I Mode	86 126	5195 56	4100	26.48
(Front)	65.275	5110.5		42.15	(Front)	80.420	5165.50		20.46
II Mode	97.657	5859.42		62.76	II Mode	102.83	6169.8		50.48

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(Reverse)					(Reverse)				
I Mode (Reverse)	84.238	5054.28		17	I Mode (Reverse)	87.252	5235.12		16.34
I Mode (Front)	86.754	5205.24	4320	20.49	I Mode (Front)	87.496	5249.76	4500	16.66
II Mode (Reverse)	104.25	6255		44.79	II Mode (Reverse)	106.62	6397.2		42.16
I Mode (Reverse)	87.775	5266.5		9.72	I Mode (Reverse)	88.575	5314.5		3.6
I Mode (Front)	90.204	5412.24	4800	12.76	I Mode (Front)	94.984	5699.04	5130	11.09
II Mode (Reverse)	109.3	6558		36.63	II Mode (Reverse)	114.19	6851.4		33.56

d. Campbell Diagram

The figure 1.2 and 1.3 shows the Campbell diagrams for 1xAPI and 2xAPI, natural frequency (cpm) vs. operating frequency (rpm).



Figure 1.2 Campbell Diagram for 1xAPI



Figure 1.3 Campbell Diagram for 2xAPI

From the figure 1.2 for 1xAPI calculations, all natural frequencies are within the acceptable region, that is percentage of margin between natural frequencies and operating speeds is more than 10% as defined in API 610.

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From the figure 1.3 for 2xAPI calculations, the first reverse mode for 5130 is unacceptable, that is percentage of margin between natural frequency and operating speed is less than 10% at first reverse mode and unbalance response is needed for the first mode.

e. Mode shapes for 5130 rpm

The 1st reverse and front modes for the 5130 rpm in 2xAPI condition are shown in figure 1.4.



Figure 1.4 1st Mode Shape (Reverse and Front)

f. Unbalance Response Analysis

Harmonic unbalance response analysis was performed to note the amplitude of vibrations at the critical points. To investigate this mode, total unbalance value is applied to the 2^{nd} impeller station because the maximum deflection is observes near 2^{nd} impeller position observed from figure 1.5.

The overall rotor weight = 281 Kg The unbalance value permitted for rotor (U _{per}) =9549 x G x W/n g.mm Where U _{per} = Maximum residual unbalance permitted for a rotor G = Balancing quality grade as per ISO-1940 = 1 (Pump rotor) W = Overall rotor weight = 281 Kg n = Operating speed = 5130 RPM The unbalance value (U per) = 523 g.mm As per API 610 11th edition (Para I.1.4), The total unbalance value (U) = 4x U per =2092 g.mm



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Figure 1.5 Unbalance Response Diagram

The figure 1.5 shows the maximum deflection of the rotor at eye wear and hub wear rings from the applied unbalance at 2^{nd} impeller station.

Eye wear rings	Available diametric clearance (2x API) (mm)	Amplitude of vibration (mm)	Clearance (%)						
21	0.4572	0.030	93.44						
25	0.4572	0.029	93.66						
29	0.4572	0.025	94.53						
Hub wear ring									
23	0.4318	0.031	92.82						
27	0.4318	0.028	93.52						
31	0.4318	0.022	94.91						

Table 1.4 Unbalance Response Analysis

The diametric clearance for the eye wear ring and hub wear ring are 0.4572 mm and 0.4318 mm respectively. From the table 1.4 the maximum amplitude of vibration is 7.18%, which is very less than 35% of the diametric clearance as defined by API 610 standards.

IV. CONCLUSIONS

The main objective of this work is to build and perform rotordynamics analysis of Multi-stage centrifugal pump rotor using ANSYS. The results obtained from ANSYS, Analytical calculations and RBTS (Rotor Bearing Testing Software) are closer with each other.

The critical speeds for the centrifugal rotor obtained from Campbell diagram. From the Campbell diagram of 1x API, there is no resonance observed for all the operating speeds from 3600 RPM to 5130 RPM. But the first reverse mode for 2xAPI is closer to the pump operating speed, 5130 RPM.

The maximum amplitude of deflection of rotor for the applied unbalance loading is determined. The maximum amplitude of deflection is 7.12% which is less than 35% of the diametric clearance is obtained from unbalance response analysis as per API 610 guidelines. New clearance calculations are within the acceptable region as per API 610 standards.

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